#### **Moorlands Junior School**



### Calculation Policy September 2023

#### **Introduction and Rationale**

This calculation policy sets out the expectations for the mastery of addition, subtraction, multiplication and division as stipulated in the 2013 National Curriculum - <u>https://assets.publishing.service.gov.uk/government/uploads/system/uploads/attachment\_data/file/335158/PRIMARY\_national\_curriculum\_-</u> <u>Mathematics\_220714.pdf</u>

It also aims to show the progression of written methods taught and used at Moorlands Primary School.

Pupils are taught at according to the stage at which they are currently learning, with challenging mastery work being set to extend learning. Children should not be discouraged from using previously taught methods in which they are secure while new concepts are being embedded.

Although this policy focuses largely on written calculation methods, it is important to recognise that the ability to calculate mentally lies at the heart of numeracy; in every written method there is an element of mental processing and children need to develop these mental skills and methods to allow them to do this efficiently. However, written recording can help children to clarify their thinking and supports and extends the development of more fluent and sophisticated strategies.

The long-term aim is for children to be able to select an efficient method that is appropriate for the given task. It is important that calculations are given a real life context or problem solving approach where possible to build children's understanding of the purpose of calculations and to help them recognise when to use certain operations and methods when faced with problems.

#### Methods we use at Moorlands

At Moorlands Junior School we use the White Rose scheme as the foundation of learning in conjunction with guidance from the NCETM.

We are using the White Rose philosophy of:

- fluency
- reasoning
- problem-solving

In our maths work, we primarily use a CPA approach (CPA – Concrete/ Pictorial/ Abstract). Concrete methods are used to help embed new concepts before moving on to pictorial and abstract work. By year 6, pictorial and abstract work should be the main focus.

At Moorlands we predominantly use White Rose as our main resource. However, we can also use other resources such as - Target Maths, Twinkle, nrich problems, Focus Education and other online resources.

#### The aim is that when children leave Moorlands they:

• Have a secure knowledge of number facts and a good understanding of the four calculation operations (addition, subtraction, multiplication and division)

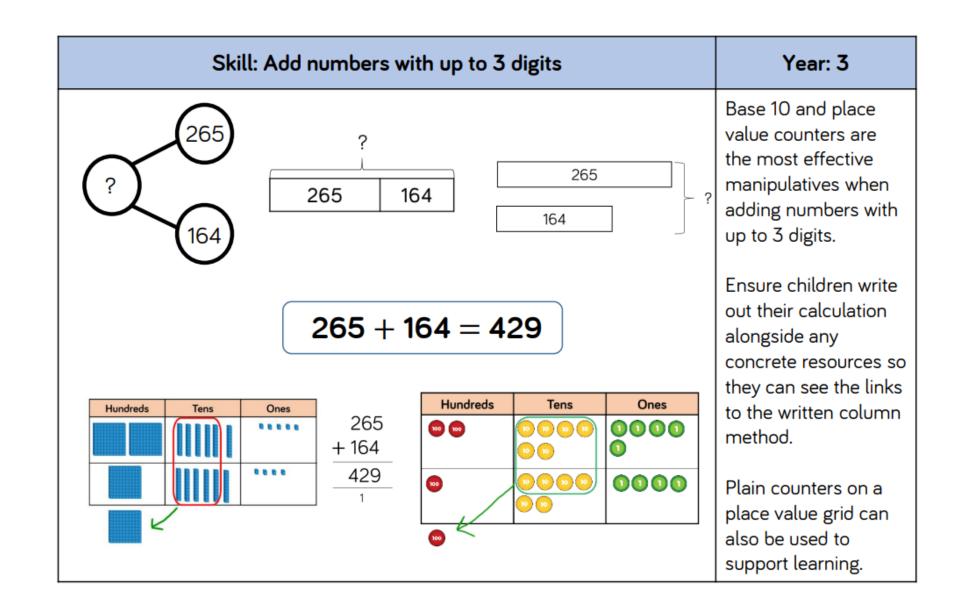
• Make use of jottings, diagrams and informal notes to help record steps and part answers when using mental methods that generate more information than can be kept in their heads

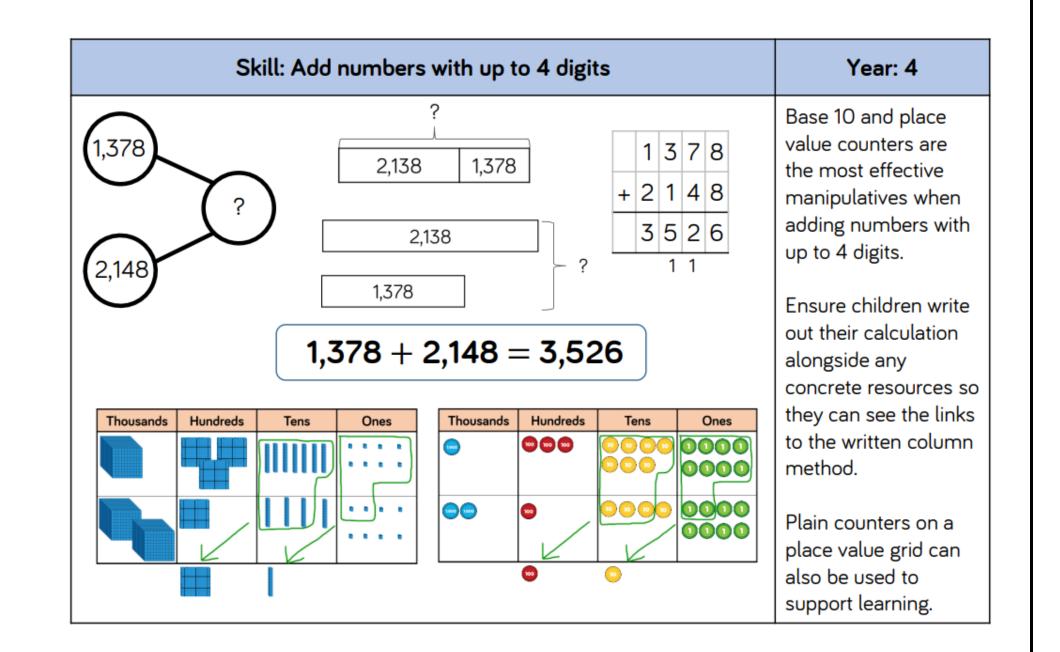
• Have an efficient, reliable, written method of calculation for each operation that they are able to apply with confidence when they are unable to perform a calculation mentally

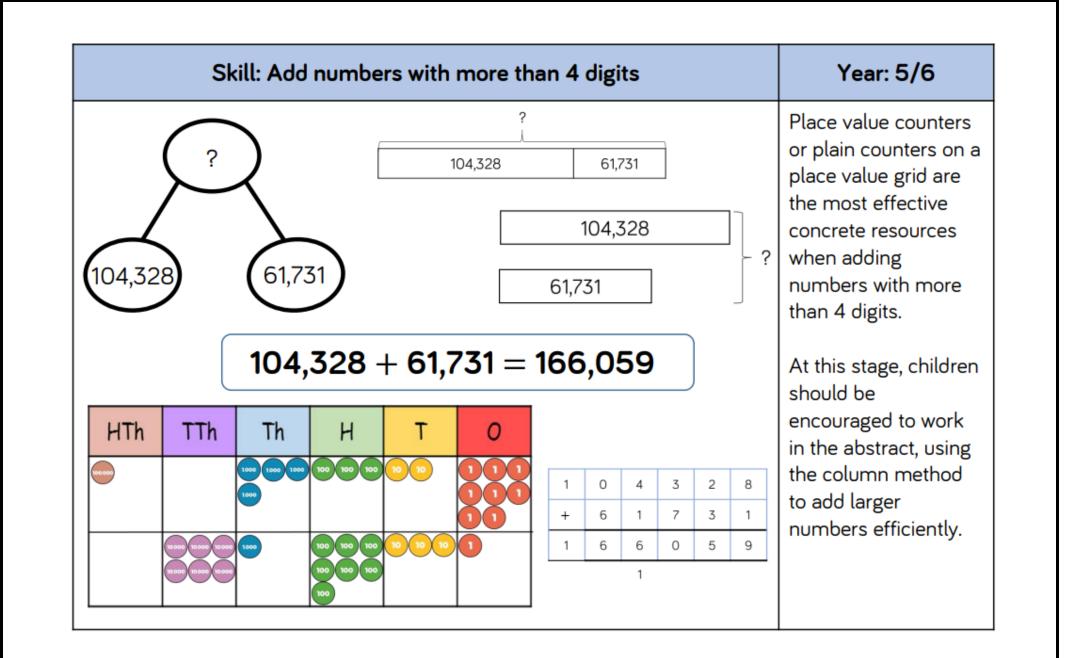
We use the fluent 5 as an extra tool when teaching the four operations. This consists of 5 calculations which involve addition, subtraction, multiplication and division. We use this twice a week in order to improve the fluency and understanding of mental calculations.

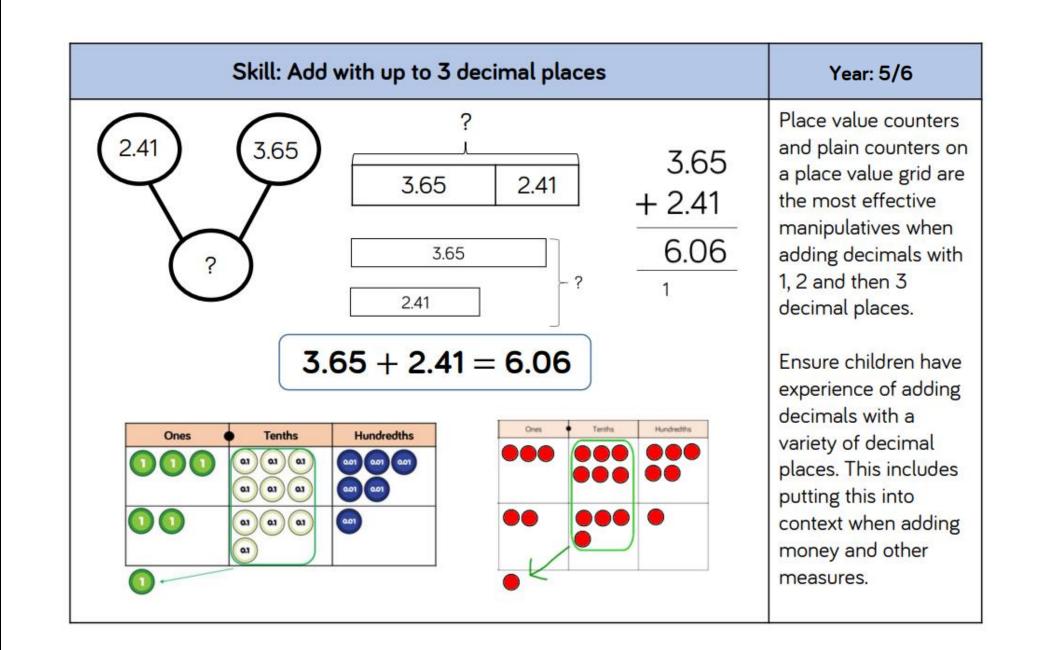
#### **Progression in Calculations**

### **Addition**

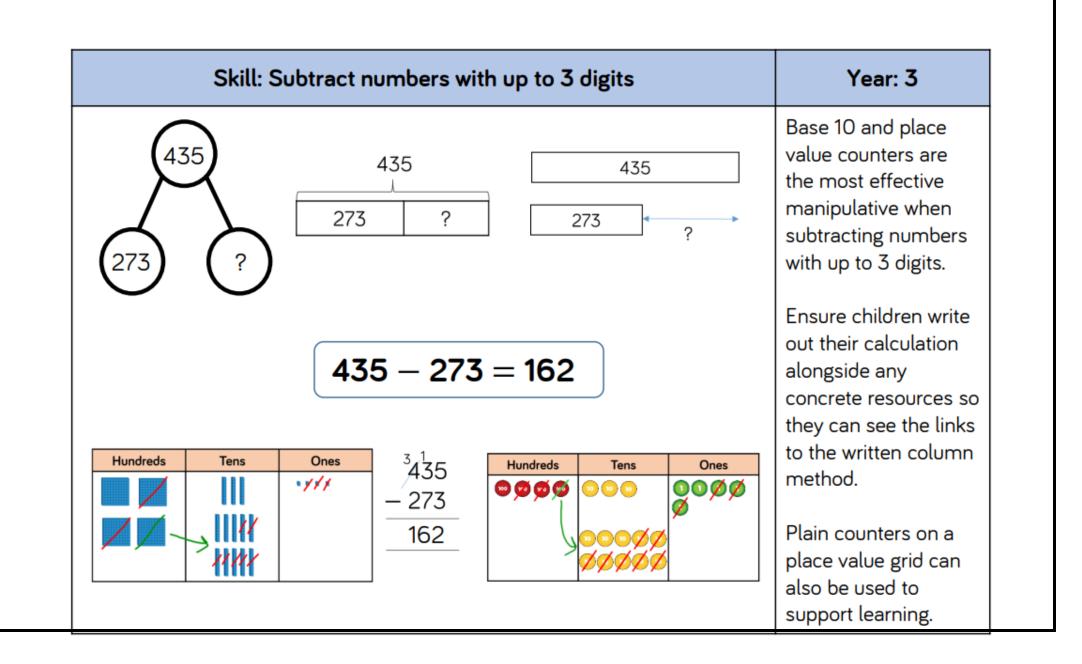


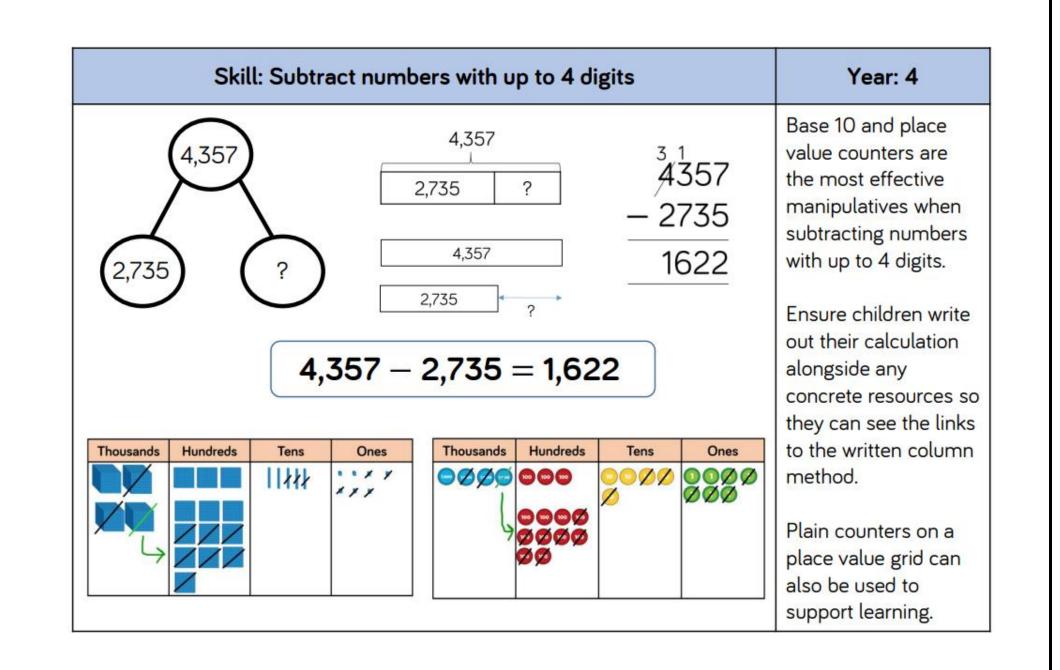


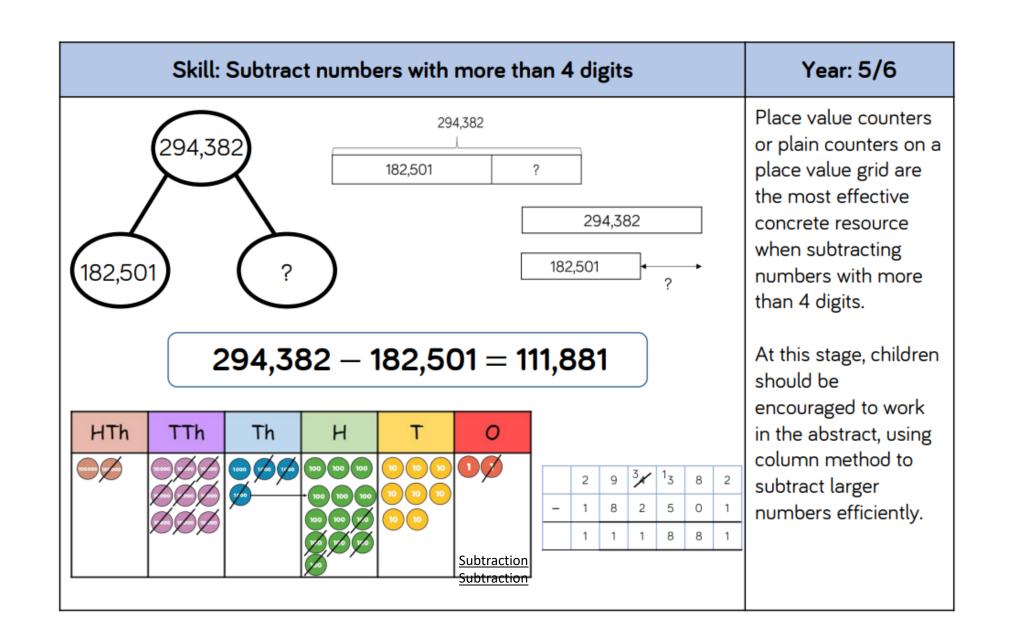


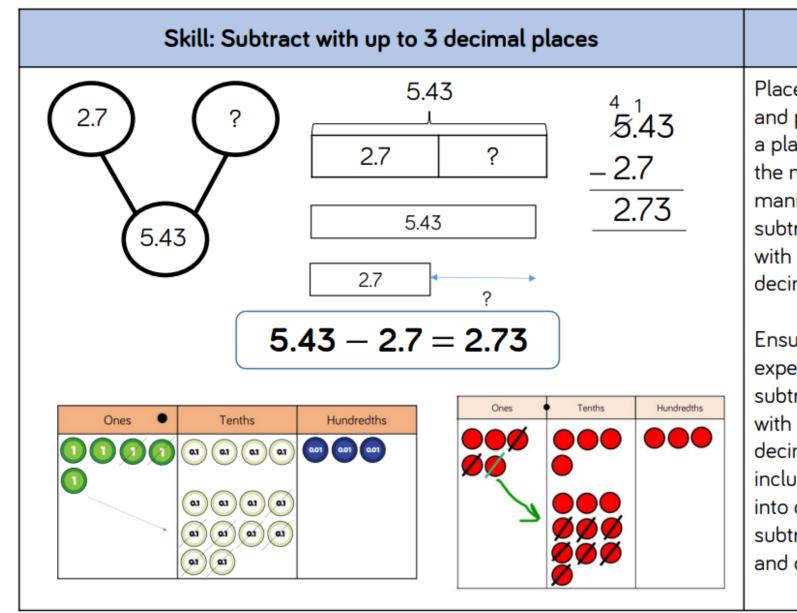


# **Subtraction**







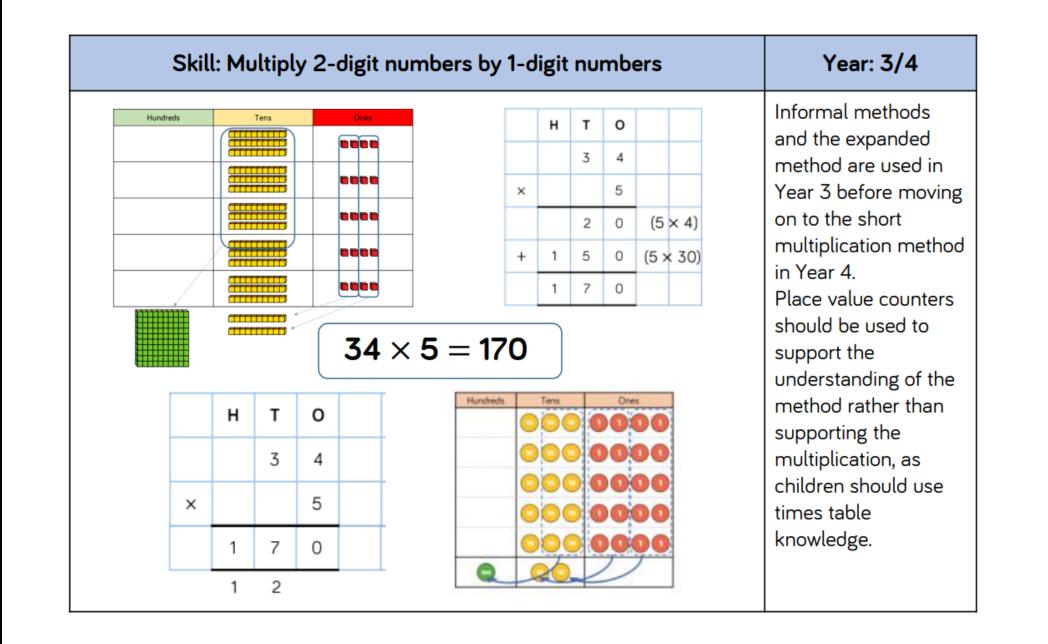


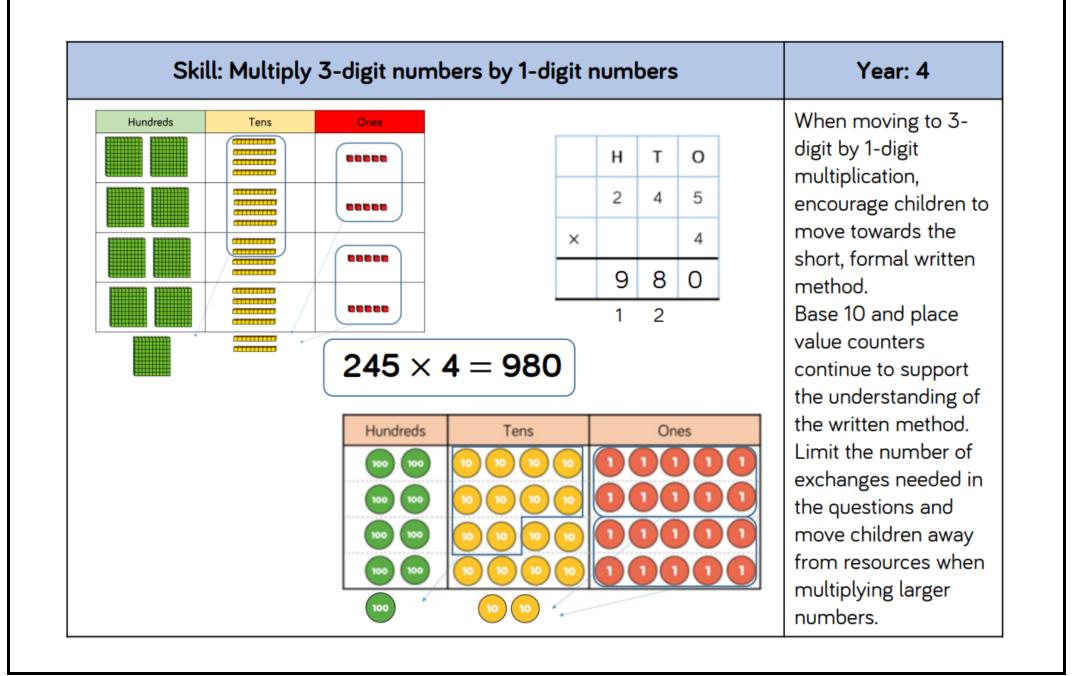
Year: 5/6

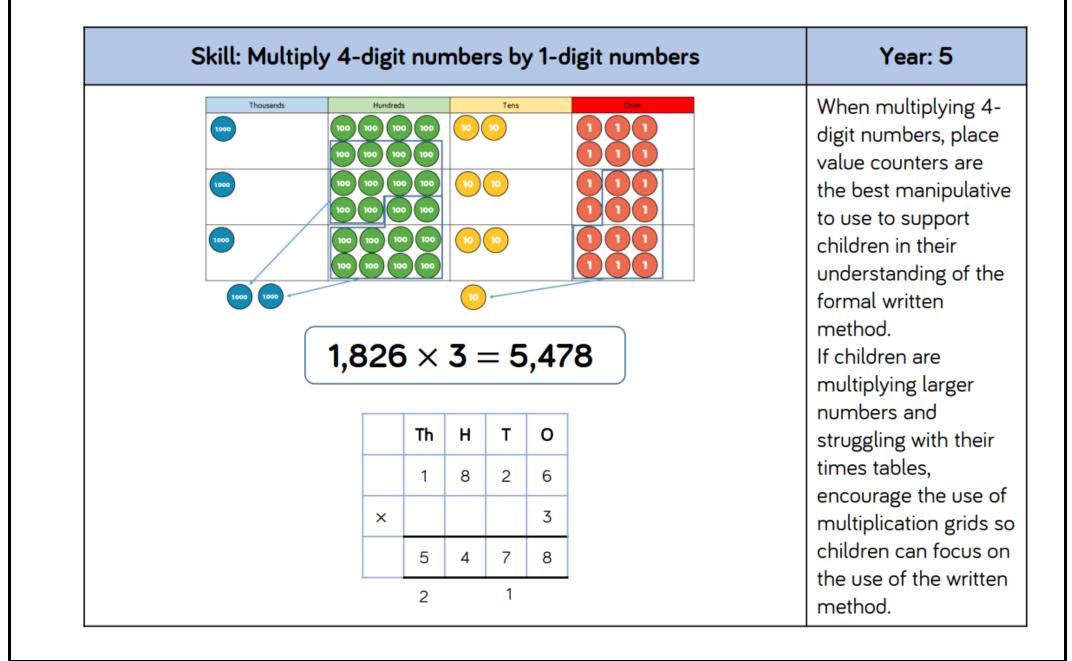
Place value counters and plain counters on a place value grid are the most effective manipulative when subtracting decimals with 1, 2 and then 3 decimal places.

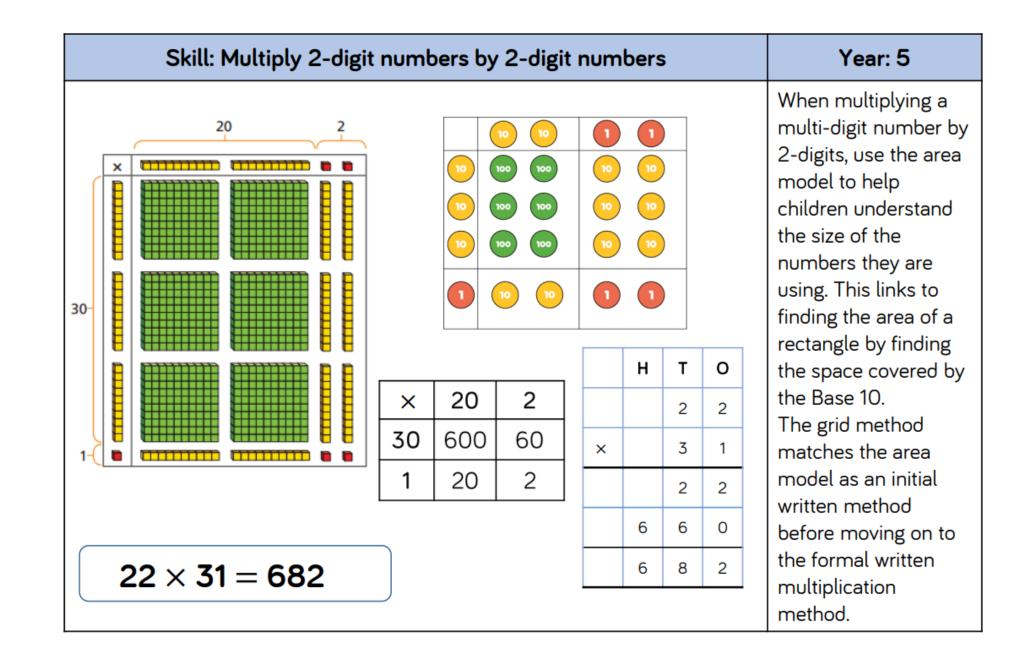
Ensure children have experience of subtracting decimals with a variety of decimal places. This includes putting this into context when subtracting money and other measures.

## **Multiplication**





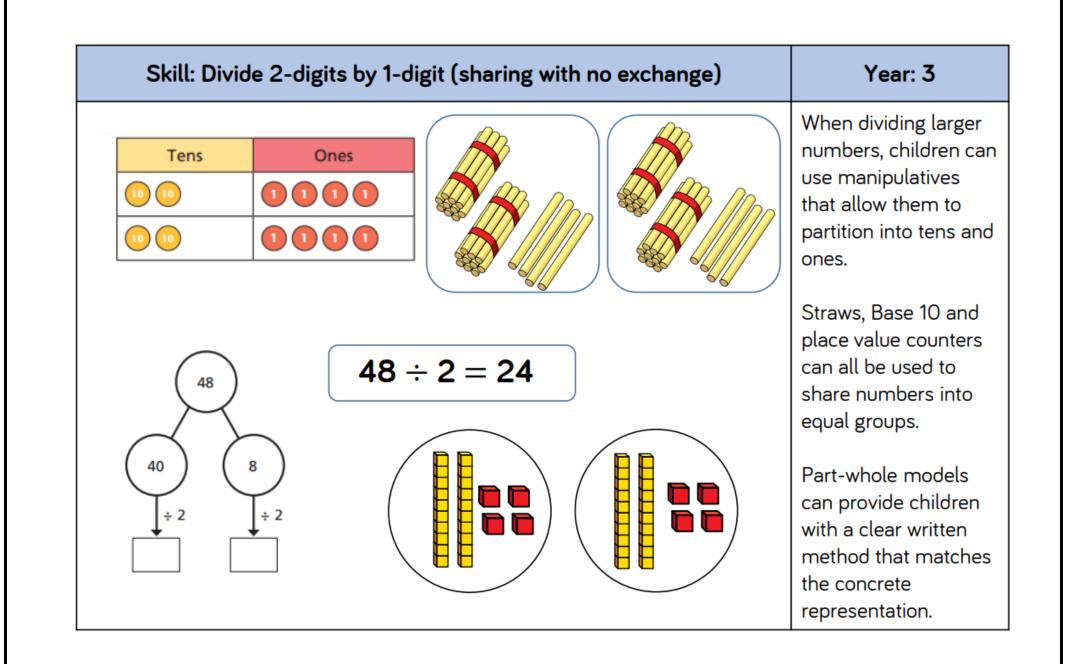




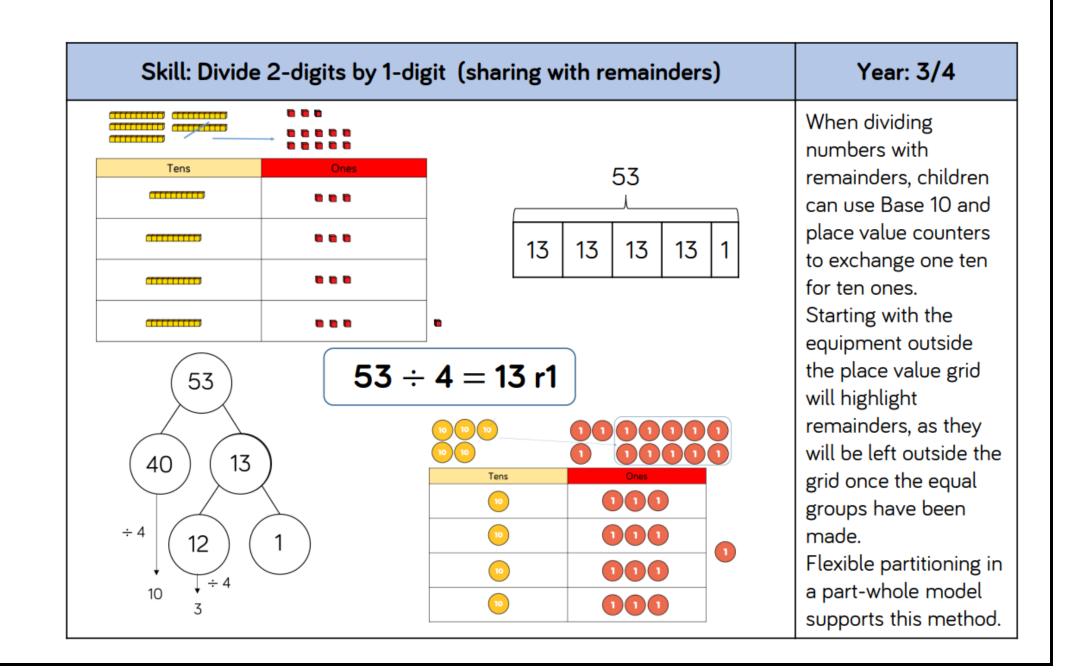
Ski	ll: Mu	ltiply 3-	digit nu	umbers by	2-digit	nun	nber	s		Year: 5
										Children can continue to use the area model
100	100					Th	н	т	ο	when multiplying 3-
10 100 (	1.000	100 10	100	10 10 10			2	3	4	digits by 2-digits. Place value counters
• • •	1000	100 10	0 100	10 10 10	10	×		3	2	become more
<u>⊷</u> (	1000	100 10	0 100	10 10 10	10		4	6	8	efficient to use but Base 10 can be used
	100					1 <sup>7</sup>	10	2	0	to highlight the size of
	100					7	4	8	8	numbers.
										Children should now move towards the
				×	200	3	30		4	formal written method, seeing the
				30	6,000	9	00	1	20	links with the grid
234 ×	32 =	= 7,48	38	2	400	6	60		8	method.

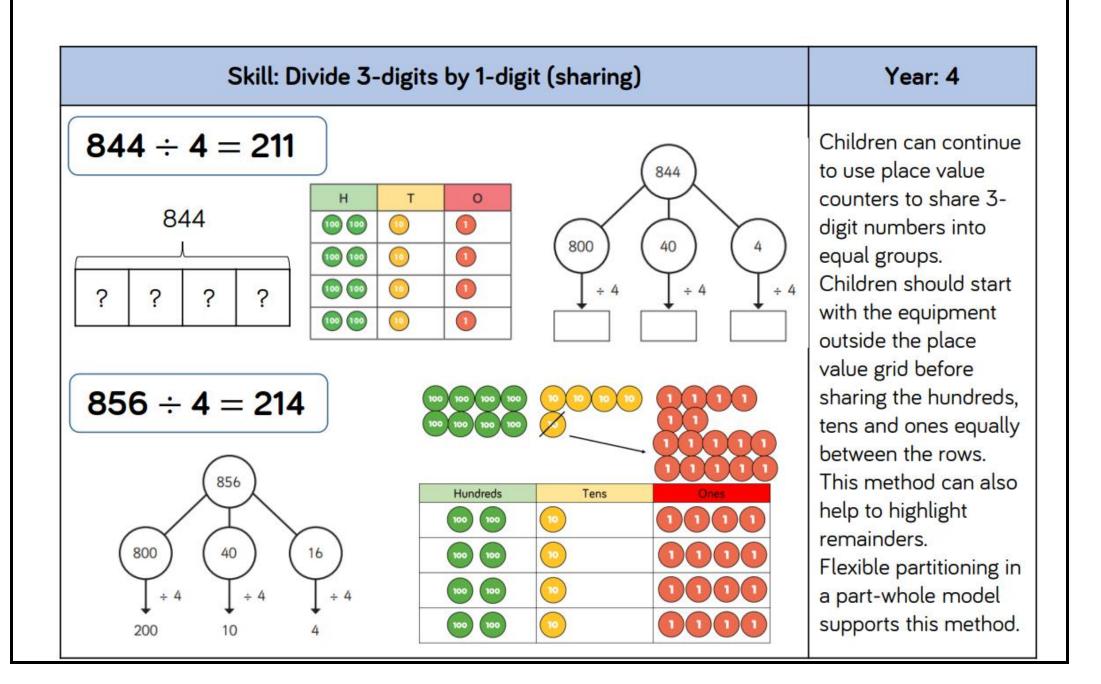
Skill: Multiply 4-c	ligit nu	mbers	by 2-	digit n	umbers Year: 5/6
TTh	Th	н	т	0	When multiplying 4- digits by 2-digits, children should be
	2	7	3	9	confident in using the formal written method.
×			2	8	If they are still
22	1 5	9 3	1 7	2	struggling with times tables, provide multiplication grids to
5	4	7	8	0	support when they are focusing on the
7	6	6	9	2	use of the method.
2,739 × 28 = 76,	692	1	1	1	Consider where exchanged digits are placed and make sure this is consistent

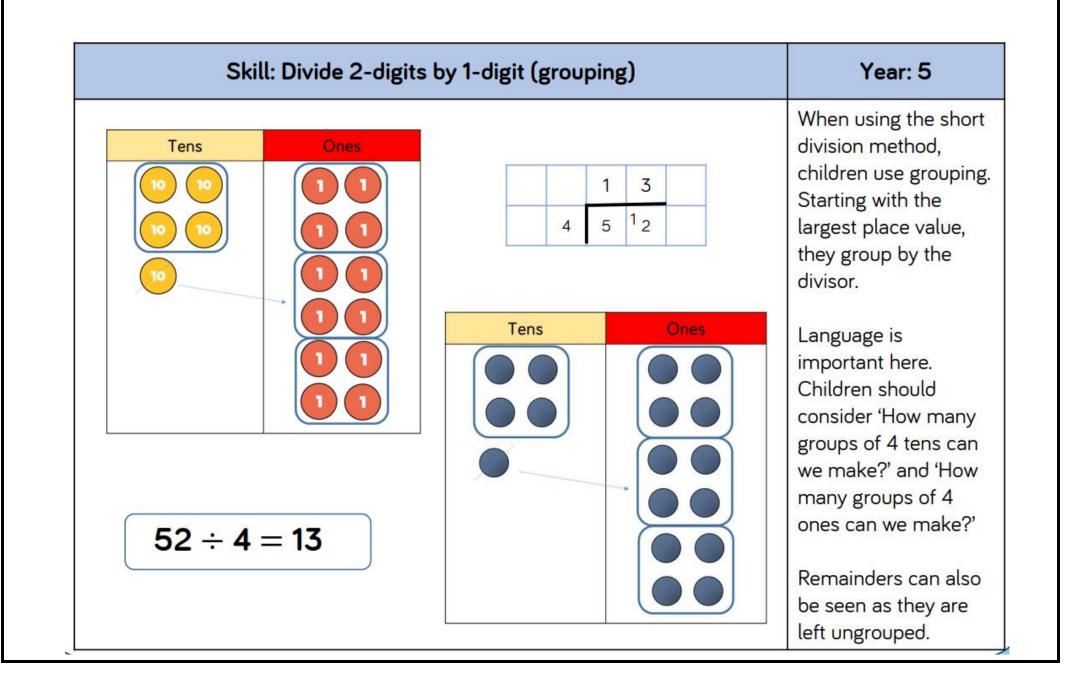
## **Division**

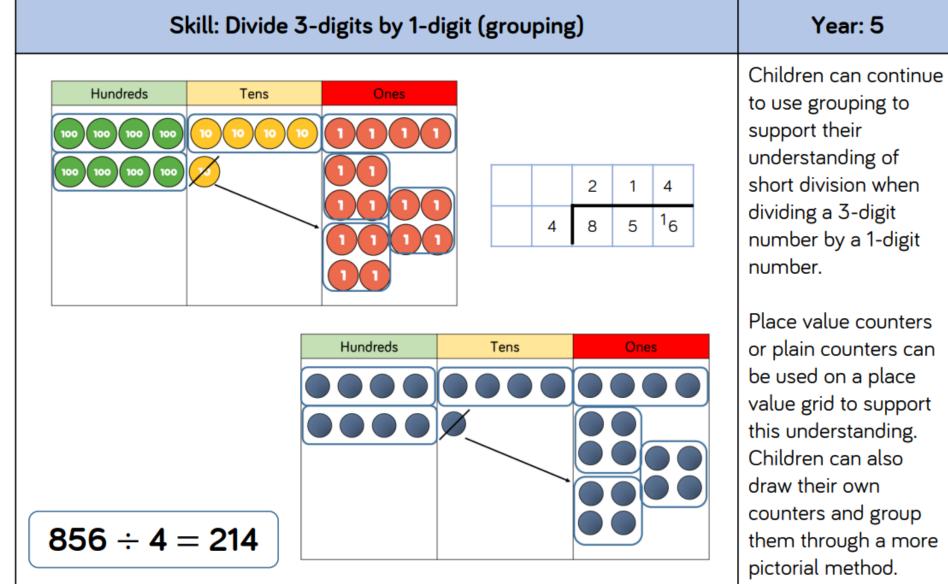


Skill: Divid	e 2-digits by 1-	-digit (sharing with exchange)	Year: 3/4
	-		When dividing
Tens	Ones	52	numbers involving an exchange, children
		? ? ? ?	can use Base 10 and place value counters
			to exchange one ten for ten ones. Children should start
52	52 -	÷ 4 = 13	with the equipment outside the place
(40) (12		1       1	value grid before sharing the tens and ones equally between
$\div 4$	) ÷4		the rows.
10 3			Flexible partitioning in a part-whole model
10 + 3 = 13	3		supports this method.









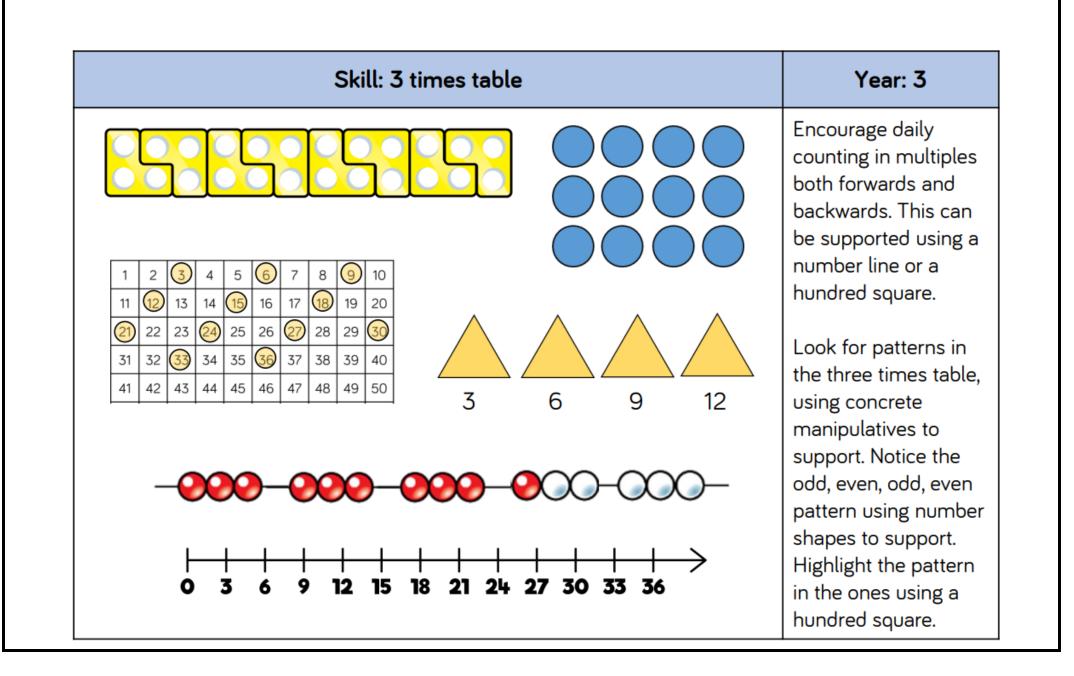
Skill:
Th

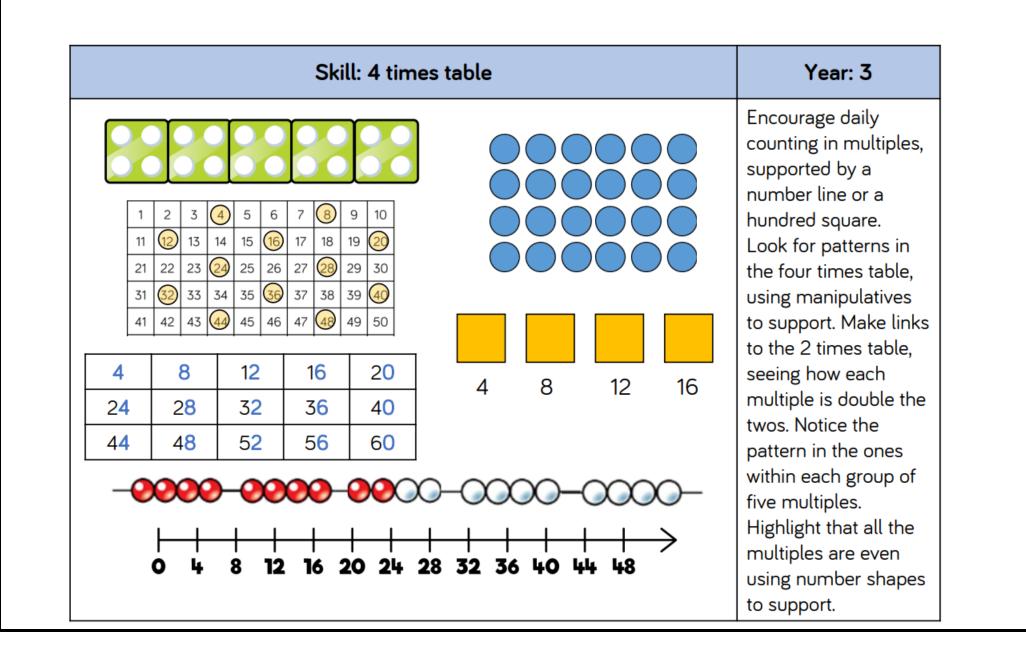
	S	kill	Div	vide mu	ulti-digits t	oy 2-	-dig	gits	: (le	ong	g divis	sion)	Year: 6
1 2	3	3 3 6 7 7	6 2 2 2 0	(×30) (×30) 12 12 12 (×6) 12 12 12 12	$2 \times 1 = 12$ $2 \times 2 = 24$ $2 \times 3 = 36$ $2 \times 4 = 48$ $2 \times 5 = 60$ $2 \times 6 = 72$ $2 \times 7 = 84$ $2 \times 8 = 96$ $2 \times 7 = 108$ $2 \times 10 = 120$		0	4	8	9	12 =	= <b>36</b>	Children can also divide by 2-digit numbers using long division. Children can write out multiples to support their calculations with larger remainders.
7,	33	5 -	÷ 1	5 = 4	189	15 - -	7 6 1 1	3 0 3 2 1	3 0 3 0 3	5 0 5 0 5	(×400 (×80)	$2 \times 15 = 30$ $3 \times 15 = 45$ $4 \times 15 = 60$ $5 \times 15 = 75$	Children will also solve problems with remainders where the quotient can be rounded as
						-		1	3	5 0	(×9)	10 × 15 = 150	appropriate.

	Ski	ll: C	Divi	de	multi	digi	its	Ьγ	2-	dig	its	(lo	ng	divi	sion)	Year: 6
<b>372</b> ÷	<b>15</b> 5 -	33	2 7 0 7 6		r <b>12</b>		1	5 3	3 3 72	2 7 0 7 6 1	4 2 0 2	r	1	2	$1 \times 15 = 15$ $2 \times 15 = 30$ $3 \times 15 = 45$ $4 \times 15 = 60$ $5 \times 15 = 75$ $10 \times 15 = 150$ $4 \times \frac{4}{5}$	When a remainder is left at the end of a calculation, children can either leave it as a remainder or convert it to a fraction. This will depend on the context of the question. Children can also answer questions where the quotient needs to be rounded according to the context.

### **Times Tables**

- We use Times Table Rock Stars (TTRS) in conjunction with the methods highlighted in the White Rose scheme of learning.





Skill: 8 times table	Year: 3
Skill: 8 times table         Image: constrained by the state of	Year: 3 Encourage daily counting in multiples, supported by a number line or a hundred square. Look for patterns in the eight times table, using manipulatives to support. Make links to the 4 times table, seeing how each multiple is double the fours. Notice the pattern in the ones within each group of five multiples. Highlight that all the multiples are even using number shapes

			Skil	l: 6 tim	es tal	ole									Year: 4
					1 11 21 31 41 51	2 (12) 22 32 (42) 52	43 53	64	45 55	6 16 26 36 46 56	7 17 27 37 47 57	8 (18) 28 38 (48) 58	9 19 29 39 49 59	10 20 30 40 50 60	Encourage daily counting in multiples, supported by a number line or a hundred square. Look for patterns in the six times table,
6 36 66	12 42 72	18 48 78	24 54 84	30 60 90	61 71 81 91	62 72 82 92	73 83	74 84	65 75 85 95	66 76 86 96	67 77 87 97	68 78 88 98	69 79 89 99	70 80 90 100	using manipulatives to support. Make links to the 3 times table, seeing how each
	<b>&gt;&gt;&gt;&gt;</b>   - 0 6			<b>990</b> 	<b>1</b> +	)	-( +- 54			) 	) + 72		)		multiple is double the threes. Notice the pattern in the ones within each group of five multiples. Highlight that all the multiples are even using number shapes to support.

			Skill	: 9 time	es tab	ole									Year: 4
9	18	27	36	45	1 11 21 31 41 51	2 12 22 32 42 52	3 13 23 33 43 53	4 14 24 34 44 54	5 15 25 35 <b>45</b> 55	6 16 26 36 46 56	7 17 27 37 47 57	8 28 38 48 58	<ol> <li>9</li> <li>19</li> <li>29</li> <li>39</li> <li>49</li> <li>59</li> </ol>	10 20 30 40 50	Encourage daily counting in multiples both forwards and backwards. This can be supported using a number line or a
9 54	63	72	81	90	61 71 81 91		53 63 73 83 93	64 74 84 94	55 65 75 85 95	56 66 76 86 96	57 67 77 87 97	68 78 88	59 69 79 89 <b>9</b>	70 80 90	hundred square. Look for patterns in the nine times table, using concrete manipulatives to
	₩ 	))))) 		00000 	000 	)	(- + 81	9	<b>≥</b> € 	99	10	)) )8	<ul><li></li><li></li></ul>		support. Notice the pattern in the tens and ones using the hundred square to support as well as noting the odd, even pattern within the multiples.

			Skil	l: 7 time	s tab	ole									Year: 4
					1 11 (2)	2 12 22	3 13 23	4 (14) 24	5 15 25	6 16 26		8 18 28 38	9 19 29	10 20 30	Encourage daily counting in multiples both forwards and backwards, supported
					31 41	32	33 43	34 44	35 45	36 46	37 47	STOLEN	39 49	40 50	by a number line or a
7	14	21	28	35	51	52	53	54	55	-	57	58	59	60	hundred square. The seven times
42	49	56	63	70	61	62	63	64	65	-	67	68	69	70	table can be trickier
12	13	00	00		71	72	73	74	75	76	$\overline{\mathcal{O}}$	78	79	80	to learn due to the
					81	82	83	84	85	86	87	88	89	90	lack of obvious
					91	92	93	94	95	96	97	98	99	100	pattern in the
<b>⊘</b> ⊢ •		₩ + 21	- <b>()</b> + + 28 3!	<b>)))</b> ()       5 42 4	)) 	<b>○</b> - 5 0	+ 63	() -+ 7(		() 	≫ 	•	$\rightarrow$	)	numbers, however they already know several facts due to commutativity. Children can still see the odd, even pattern in the multiples using number shapes to

